

3.4.1 (a) $0.33 + 0.25 + 0.12 = 0.70$

(b) $0.03 + 0.20 = 0.23$

(c) $0.25 + 0.12 + 0.07 = 0.44$

3.4.2 (a) $1 - 0.07 = 0.93$

(b) $1 - 0.03 - 0.20 = 0.77$

(c) $0.20 + 0.33 + 0.25 = 0.78$

• 3.4.3 (a) $\Pr\{20 < Y < 30\} = 0.41 + 0.21 = 0.62$

(b) $0.41 + 0.21 + 0.03 = 0.65$

(c) $0.01 + 0.34 = 0.35$

3.4.4 (a) $0.01 + 0.34 + 0.41 = 0.76$

(b) $1 - 0.01 = 0.99$

(c) $0.34 + 0.41 + 0.21 = 0.96$

3.4.5 (a) $(0.35)(0.35) = 0.1225$

(b) $(0.35)(0.24) = 0.084$

(c) $(0.35)(0.24) + (0.24)(0.35) = 0.168$

3.5.1 (a) $610/5000 = 0.122$

(b) $(130 + 26 + 3 + 1)/5000 = 160/5000 = 0.032$

(c) $(1400 + 1760 + 750)/5000 = 0.782$

3.5.2 (a) $(3)(610)/22,435 = 0.0816$

(b) $[(7)(130) + (8)(26) + (9)(3) + (10)(1)]/22,345 = 0.0515$

(c) Choosing a young at random gives a selection of broods which is not random, but is biased toward larger broods (because a larger brood has more chances to be selected). Therefore, $\Pr\{Y \geq 7\}$ is larger than $\Pr\{Y \geq 7\}$.

3.5.3 $\mu_Y = (1)(90/5000) + (2)(230/5000) + (3)(610/5000) + (4)(1400/5000) + (5)(1760/5000) + (6)(750/5000) + (7)(130/5000) + (8)(26/5000) + (9)(3/5000) + (10)(1/5000) = 22435/5000 = 4.487.$

3.5.4 (a) $0.189 + 0.027 = 0.216$

(b) $0.343 + 0.441 + 0.189 = 0.973$

• 3.5.5 $(0)(0.343) + (1)(0.441) + (2)(0.189) + (3)(0.027) = 0.9$

• 3.5.6 $\text{VAR}(Y) = (0 - 0.9)^2(0.343) + (1 - 0.9)^2(0.441) + (2 - 0.9)^2(0.189) + (3 - 0.9)^2(0.027) = 0.63.$
Thus, the standard deviation is $\sqrt{0.63} = 0.794.$

3.5.7 (a) $0.047 + 0.004 = 0.051$

(b) $0.316 + 0.422 = 0.738$

(c) $1 - 0.316 = 0.684$

3.5.8 The mean is $(0)(0.316) + (1)(0.422) + (2)(0.211) + (3)(0.047) + (4)(0.004) = 1.001$

3.5.9 $(0)(0.15) + (1)(0.50) + (2)(0.35) = 1.2$

3.5.10 $\text{VAR}(Y) = (0 - 1.2)^2(0.15) + (1 - 1.2)^2(0.50) + (2 - 1.2)^2(0.35) = 0.46.$ Thus, the standard deviation is $\sqrt{0.46} = 0.678.$